

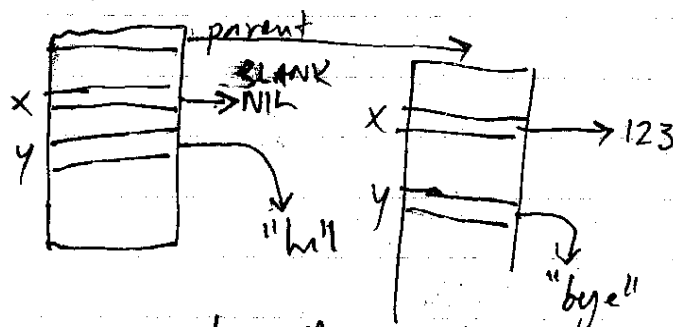
Slate is complicated by its multiple-dispatch semantics

Slate objects have

- header (gc)
- "traits"
- "map"

I suspect javascript + more are embedding-style prototype languages. The method (slot) lookup seems different in slate (which is a delegating-style language).

JS:



$x = 123$ - because slot is blank.
 $y = "hi"$

$x = 123$
 $y = "bye"$

Slots are an implementation property, not an interface property.

⇒ slots to be visible only to methods.

Interesting that slots have "protected" visibility in ST/Squeak, cf. the expected "private" visibility.

What is the algorithm for slot/method lookup in delegating languages??

abcdef

Given some process eg $\mu B. x?nc.(c!ht \mid B)$. how to lift it?

6:

nu	$\nu x.P$	$\uparrow \nu x.P \downarrow^k \rightarrow \nu q. k!q. \mu A. q?abcdef. a!$
par	$P \mid P$	
rec	$\mu A. P$	
ref	A	
out	$x!y$	
in	$x?y.P$	

k needs to be a function (at metalevel) for proper CPS

nu	$\Gamma \nu x. P^?k$	$= \nu q. k(q) \mid \mu A. q^?abcdef. (\Gamma P^? \lambda p. a!xp \mid A)$
pow	$\Gamma P_1 \mid P_2^?k$	$= \nu q. k(q) \mid \mu A. q^?abcdef. (\Gamma P_1^? \lambda p_1. \Gamma P_2^? \lambda p_2. b!p_1 p_2 \mid A)$
rec	$\mu A. P$	$= \dots \dots \dots (\Gamma P^? \lambda p. c!A^? \mid A)$
ref	$A^?$	$= \dots \dots \dots (d!A^? \mid A)$
out	$x!yz$	$= \dots \dots \dots (e!x(\text{cons } y (\text{cons } z \text{ NIL})) \mid A)$
in	$x^?yz. P$	$= \dots \dots \dots (\Gamma P^? \lambda p. f!x(\text{cons } y (\text{cons } z \text{ NIL}))p \mid A)$

$\Gamma^?k \quad k = \lambda p. \dots \quad \text{name} \rightarrow \text{process}$

$\text{name} \} \text{process}$

$\Gamma^?p \triangleq \Gamma^? \lambda p. p \quad \Gamma^?: \text{process} \rightarrow \text{name}$

Assume a traditional ST80-style dispatcher.
with classes rather than prototypes

Then lifted processes have a visitor pattern.

Class method?
Just a message!

$\Gamma \nu x. P^?k = \nu q. \Gamma^? \lambda p. \nu q[x, p]. k(q) \mid \mu A. q^? \text{cont. msg. args. NuP}^? \text{cont msg args } q$

~~ST80Object~~ $\nu q[x, p]. k(q) \mid \text{ST80Object}(\text{NuP}, q) \quad \times$

$\nu q[\text{NuP}, x, p]. k(q) \mid \text{ST80Object}(q)$

~~$\text{ST80Object} = \lambda o. \mu k. o^? k, m, \text{args. } A \mid \text{MEMOIZE}$~~

$\text{ST80Object} = \lambda o. \mu A. o := \Lambda(A, m, \text{args}). \text{meth} \leftarrow \text{MEMOIZE}(\text{ST80Lookup}(o[o], m))$
 $\text{meth}(o, \text{args})$

$\mu A. \text{ST80Lookup} := \lambda c. \Lambda(A, c, m). \text{dict} \leftarrow c[i]. \dots \text{meth.}$

~~$\mu A. \text{SendToSuper} = \lambda c. \Lambda(A, m, \text{args}). \text{meth} \leftarrow \text{MEMOIZE}(\text{ST80Lookup}(c, m)). \text{meth}(o, \text{args})$~~

$\text{SendToSuper} = \lambda c. \Lambda(A, m, \text{args}). \text{meth} \leftarrow \text{MEMOIZE}(\text{ST80Lookup}(c, m)). \text{meth}(o, \text{args})$